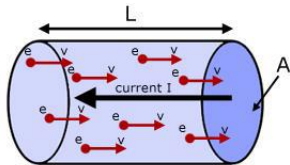




A. ELECTRIC CURRENT

- Electric current is a flow of **charge carriers**
- Charge is **quantised**, they are always an integer multiple of $1.6 \times 10^{-19} \text{ C}$
- The total charge (C) passing through a point is equal to the **product of the current (A) and the time (s)** for which the current flows

$$Q = It$$



- The current passing through a conductor is

$$I = Anvq$$

Where

- I = Current (A)
- A = Cross-sectional area of conductor (m^2)
- v = Average drift velocity of the charge carriers (m/s)
- n = Charge carrier density per unit volume
- q = Charge of each charge carrier (C)

B. POTENTIAL DIFFERENCE

- The **potential difference (p.d)** between two points is the **energy transferred, or work done, by each coulomb of charge** as it moves from one point to another

$$V = \frac{W}{Q}$$

C. RESISTANCE AND RESISTIVITY

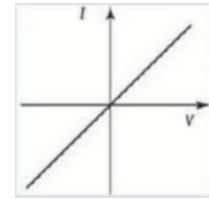
- Resistance (R)** is defined as the **ratio of the potential difference across a conductor and the current through it**

$$R = \frac{V}{I}$$

- I – V Characteristics** of various components

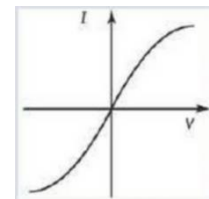
1. Metal wire

Current is proportional to p.d, the **metal has a constant resistance**



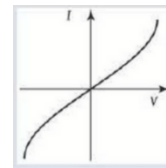
2. Filament lamp

At low currents, the current is proportional to p.d, **but at higher currents, the resistance increases** due to the higher temperature



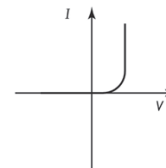
3. Thermistors

At low temperatures, the resistance is high. **Resistance decreases as the temperature increases**



4. Diode

No current will pass in one direction, but **once the p.d reaches a certain value, there is very little resistance**



- Light-Dependent Resistors** Resistance decreases as light intensity increases

- Ohm's Law**

For a metallic conductor at **constant temperature**, the current in the conductor is **proportional** to the p.d

- **Resistivity (ρ)** is a measure of how strongly a material resists electrical current, its relationship with resistance (R) is as follows

$$R = \rho \frac{L}{A}$$

Where:

R = Resistance (Ω)

ρ = Resistivity (Ωm)

L = Length (m)

A = Cross-sectional area (m^2)

D. POWER

- The power produced (dissipated) in an electrical device is as follows

$$P = VI$$

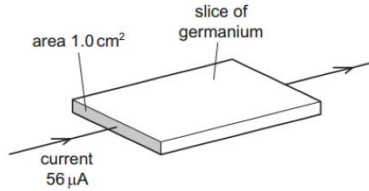
$$P = I^2R$$

$$P = \frac{V^2}{R}$$

E. EXERCISE

1. [9702_s18_qp_13_030]

A slice of germanium of cross-sectional area 1.0cm^2 carries a current of $56\mu\text{A}$. The number density of charge carriers in the germanium is $2.0 \times 10^{13}\text{cm}^{-3}$. Each charge carrier has a charge equal to the charge on an electron



What is the average drift velocity of the charge carriers in the germanium?

Solution

Recall the formula $I = Anvq$ and change the variables to SI values

$$I = Anvq$$

$$v = \frac{I}{Anq}$$

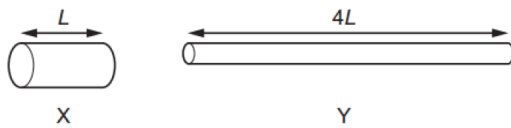
$$v = \frac{56 \times 10^{-6}}{1 \times 10^{-4} \times 2 \times 10^{13} \times 10^6 \times 1.6 \times 10^{-19}}$$

$$v = 17.5 \times 10^{-2} \text{ ms}^{-1}$$

So the average drift velocity is 0.18 ms^{-1} (rounded)

2. [9702_w17_qp_11_035]

Two copper wires X and Y have the same volume. Wire Y is four times as long as wire X



What is the ratio $\frac{\text{resistance of wire Y}}{\text{resistance of wire X}}$?

Solution

Notice the difference in cross-sectional area and length of the two

Recall the formula $R = \frac{\rho L}{A}$

This means $R \propto L$ and $R \propto \frac{1}{A}$, so we can compare them

But first we need to find A by comparing their volume because they have the same value

$$V_x = V_y$$

$$A_x \times L_x = A_y \times L_y$$

$$A_x \times L = A_y \times 4L$$

$$\frac{A_x}{A_y} = \frac{4L}{L}$$

With this we can move on to comparing their R

$$\frac{R_y}{R_x} = \frac{L_y}{L_x} \times \frac{A_x}{A_y}$$

$$\frac{R_y}{R_x} = \frac{4L}{L} \times \frac{4L}{L}$$

$$\frac{R_y}{R_x} = \frac{16}{1}$$

So the ratio is 16

3. [9702_w15_qp_11_033]

The Atlantic torpedo is a large electric fish capable of generating a voltage of 220 V between its tail and its head. This drives a pulse of current of 15A lasting for a time of 2.0ms. The fish produces 200 pulses per second

What is the average power output of the fish?

Solution

First we need to find its energy which is power x time

$$E = VIt$$

$$E = 220 \times 15 \times 2 \times 10^{-3}$$

$$E = 6.6\text{J}$$

Then we could find its average power which is total energy / time

$$\text{Avg Power} = \frac{\text{Total E}}{t}$$

$$\text{Avg P} = \frac{\text{Pulses} \times E}{t}$$

$$\text{Avg P} = \frac{\text{Pulses}}{t} \times E$$

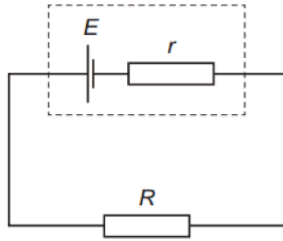
$$\text{Avg P} = \frac{200}{\text{second}} \times 6.6$$

$$\text{Avg P} = 1320 \text{ W}$$

So the average power is 1.3kW (rounded)

4. [9702_s18_qp_13_031]

A cell of electromotive force (e.m.f) E and internal r is connected to an external resistor of resistance R , as shown



What is the power dissipated in the external resistor?

Solution

Because **we dont know the p.d.** between the **external resistance** we will use the formula $P=IIR$

First we need to find the **current through them** by using the ohm law

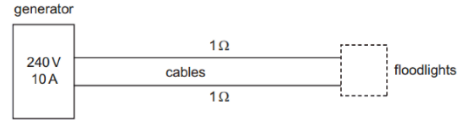
$$\begin{aligned} \text{Total } I &= \frac{\text{Total } V}{\text{Total } R} \\ I &= \frac{E}{R + r} \end{aligned}$$

Hence the **power dissipated by the resistor** is (**R is the resistance of external resistor**)

$$\begin{aligned} P &= I^2 R \\ P &= \left(\frac{E}{R + r} \right)^2 R \\ P &= \frac{E^2 R}{(R + r)^2} \end{aligned}$$

5. [9702_s17_qp_13_032]

The diagram shows a portable generator connected by cables to floodlights. The generator produces a current of 10A at a constant potential difference (p.d.) of 240V. The total resistance of the vables is 2Ω



What is the p.d. V across, and the power P delivered to the floodlights?

Solution

First we need to calculate the total resistance of the system using ohm's law

$$\begin{aligned} R &= \frac{V}{I} \\ R &= \frac{240}{10} \\ R &= 24 \end{aligned}$$

The total resistance is 24Ω which **includes the 2Ω** from the cables, so the resistance of the **floodlights** is $24 - 2 = 22\Omega$

Now we can calculate the Power which is

$$\begin{aligned} P &= I^2 R \\ P &= 10^2 \times 22 \\ P &= 2200 \text{ W} \end{aligned}$$

And its p.d. by **comparing it to the p.d. of the generator**

$$\begin{aligned} V_F &= \frac{R_F}{R_{total}} \times V_G \\ V_F &= \frac{22}{24} \times 240 \\ V_F &= 220 \text{ V} \end{aligned}$$

So its p.d is **220 V** and its power is **2200 W**